| Exercise 1 | Calc. : 🗸 |
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| Martina wants to decorate her bedroom door with the outline of a cat, as shown in the figure | |
| below. | |
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| ace L | |
| F2° | |
| 32 | |
| N L | |
| | |
| 45 | |
| G | |
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| | |
| F 218 E | |
| A 21 | |
| В | |
| | |
| C D | |
| | |
| The cat's ears are two congruent triangles MLN and ILH, with $MN = 40$ cm, $MLN = 95^{\circ}$ and | |
| $MNL = 52^{\circ}$. | |
| Martina wants to edge the two ears with blue ribbon. | |
| 1. Determine the length of the sides ML and NL and calculate how many centimetres of blue | 4 marks |
| ribbon are needed to edge both ears. | 1 11101110 |
| | |
| The cat's face NGHL is formed by two congruent triangles NGL and HGL, with NG = 28 cm, | |
| $GL = 30$ cm and $NGL = 45^{\circ}$. Martina wants to paint the cat's face pink. | |
| 2. Determine the surface area of the set's face (round to the pearest unit) | 2 marks |
| 2. Determine the surface area of the cat's face (found to the hearest unit). | 2 marks |
| The cat's tail consists of the triangle FDE, with FE = 38 cm, DE = 36 cm and $\widehat{\text{FED}}$ = 21°. Martina | |
| cuts the tail from a piece of cardboard and then glues the base FD to the cat's body. | |
| | |
| 3. Determine the length of the base FD (round to 1 dp). | 2 marks |

Exercise 2



Rimini's Ferris wheel has 42 transparent capsules that reach an altitude of 55 m from where you can see the Romagna coast, from Gabicce to Cesenatico. The ticket costs $9 \\Cappendicate{costs}$ and the trip lasts 30 minutes, during which the wheel completes 5 turns.

The ticket costs 9€ and the trip lasts 30 minutes, during which the wheel completes 5 turns. The motion of a capsule is described by the function

$$h(t) = 28 - 27 \cdot \cos\left(\frac{\pi}{3}t\right)$$

where h(t) is the altitude of the capsule in metres and t is time in minutes, with t = 0 when the trip starts.

- Determine the time taken for a complete turn and explain the meaning of the coefficient π/3 2 marks in the equation of h(t).
 Check that the maximum altitude is 55 m and determine after how many minutes is attained. 3 marks
- 3. Determine the altitude of the capsule when the trip starts, hence determine the radius of the 2 marks wheel.



| Exercise 3 The Great Pyramid of Giza is a square-base pyramid, with base-length 230 m. | Calc. : 🗸 |
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| The angle formed by the slant height AC with the plane of the base is $\phi = 50.3^{\circ}$. | |
| 1. Determine the slant height AC of the pyramid (round to the nearest metre). | 3 marks |
| 2. Show that the height AD of the pyramid is 138.5 m. | 2 marks |
| 3. Determine the edge AB of the pyramid (round to the nearest metre). | 3 marks |
| 4. Determine the angle θ formed by the edge AB with the plane of the base. | 2 marks |



- 30 35 40 45 50 55 60 65 70 75 80 85 90 95 monthly rainfall in Parm (in mm)
- 5. In which one of these three cities data referring to rainfall show highest homogeneity? Explain 2 marks your answer.