| école européenne de strasbourg | Date | 13/12/2021 |
| :---: | :---: | :---: |
|  | Class | S6 EN |
|  | Subject | MATHEMATICS |
|  | Subject | PART A |
|  | Duration | 90 Minutes |
|  | Teacher | D. Shaw |


| NAME: | First Name: |  |
| :---: | :---: | :---: |
| Marks | Comments | Signature |
| 770 |  |  |

## Exam Without Calculator



## Instructions

- This exam consists of 7 questions on 10 pages including this cover page.
- All questions are compulsory.
- Answer directly on the question paper.
- Any attempt at cheating will result in the immediate cancellation of your exam.
- Read all the questions calmly and thoroughly and show all workings clearly.


## Question 1: [10 Marks]

In a box of 4 matches one is shorter than the others. Four players pick a match one after the other. Whoever picks the short match loses.
a) Show, with the aid of a tree diagram the probabilities of each player getting the short match.
a) Give the following probabilities:

- The first player loses:
- The second player loses:
- The third player loses:
- The fourth player loses:
b) Does it have an effect on the outcome whether you are the first to choose the match or the last?


## Question 2: [9 Marks]

In a box of chocolates, we find 24 different chocolates. 18 chocolates are made from milk chocolate and 6 are made from white chocolate. Two thirds of the milk chocolates have a marzipan filling. In total there are 16 chocolates with a marzipan filling in the box.
a) Complete the following two-way table.

|  | Milk chocolate | White chocolate | Total |
| :--- | :--- | :--- | :--- |
| with marzipan |  |  |  |
| Without marzipan |  |  |  |
| Total |  |  |  |

b) If a chocolate is picked at random from the full box, calculate the probability that it would be a white chocolate one without a marzipan filling.
c) Given that a chocolate chosen at random from the full box is a white chocolate, calculate the probability that it has a marzipan filling.
P-

## Question 3: [12 Points]

Solve the following equations:
a) $3(x-2)=6$
b) $-5 x+3=2 x+10$
c) $4=-2(x+3)$
d) $1=3(x-2)+3-2 x$
e) $x^{2}-2 x-3=0$
f) $x^{2}-4 x+4=0$

## Question 4: [8 Points]

Match each of the following functions to their corresponding graph.


## Question 5: [9 Points]

Helen is taking part in a cycling race. She has already cycled 10km and is advancing at a constant speed. The following graph represents the distance travelled as a function of the time in hours.

a) Identify the distance travelled at the origin (of the graph) and the slope of the line. At what speed is Helen travelling?
b) Formulate an equation for the distance, $d$ (in km) that Helen cycles as a function of time, $t$ (in h) since she passed the 10 km mark.
c) How many kilometres will Helen have cycled, 90 minutes after passing the 10 km mark?

## Question 6: [8 Marks]

Match each of the following functions to their corresponding graph.

| Function | Graph |
| :---: | :--- |
| $f(x)=2^{2 x}+3$ |  |
| $g(x)=3^{-x}$ |  |
| $h(x)=0.5^{x}$ |  |
| $q(x)=2^{x}$ |  |




## Question 7: [14 Marks]

The following image is a graphic representation of the function

$$
f(x)=2^{3 x+1}+2
$$


a) State the domain of the function.
b) State the range of the function.
c) Find the y-intercept.
d) What are the roots of the function?
e) Estimate the following values:
i) $f(0.2)=$
ii) $f(-2)=$
iii) if $f(x)=3, \quad x=$

